

Unit 2: Linear and Exponential Equations

A. Identifying, Evaluating, & Applications of Functions

CCSS	4 – Mastery	3 – Proficient	2 - Basic	1 – Below Basic	0 – No Evidence
Understand functions (F.IF.1)	Can extend thinking beyond the standard, including tasks that may involve one of the following: <ul style="list-style-type: none"> • Designing • Connecting • Synthesizing • Applying • Justifying 	Determine and explain if a relation, graph and table are functions Use the different terminology that describes the x values (domain, input) and the y values (output, $f(x)$) to find the domain and range from a table, relation, and graph.	Determine and explain if a relation, graph or table are functions (2 of the 3) Use the different terminology that describes the x values (domain, input) and the y values (output, $f(x)$) to find the domain and range from a table, relation, or graph.	Determine if a relation, graph or table are functions (2 of the 3) Identify the different terminology that describes the x values (domain, input) and the y values (output, $f(x)$)	Little evidence of reasoning or application to solve the problem Does not meet the criteria in a level 1
Use function notation (F.IF.2)	<ul style="list-style-type: none"> • Critiquing • Analyzing • Creating • Proving 	Use function notation and the values in the domain to calculate the values in the range from a table, graph, and equation and interpret statements using function notation in context of a given situation	Use function notation and the values in the domain to calculate the values in the range from a table, graph, and equation	Use function notation and the values in the domain to calculate the values in the range from a table, graph, or equation	
Construct linear and exponential functions (F.BF.2*, F.IF.3, F.LE.1)		Distinguish between linear and exponential functions from arithmetic and geometric sequences, tables, graphs, and real world situations Write the recursive function and the function rule for linear and exponential functions to model real world situations.	Distinguish between linear and exponential functions from arithmetic and geometric sequences, tables, and graphs. Write the recursive function and the function rule for linear and exponential functions from arithmetic and geometric sequences and tables.	Distinguish between linear and exponential functions from arithmetic and geometric sequences, tables, and graphs. Identify the common difference/common ratio for linear and exponential functions from arithmetic and geometric sequences and from tables.	
Identify and compare key features (F.LE.5)		Identify and compare key features of two functions represented in all of the following ways <ul style="list-style-type: none"> • algebraically • graphically • tables • in context 	Identify and compare key features of two functions represented in three of the following ways <ul style="list-style-type: none"> • algebraically • graphically • tables • in context 	Identify and compare key features of two functions represented in two of the following ways <ul style="list-style-type: none"> • algebraically • graphically • tables • in context 	

F.IF.1 Understand that a function from one set (called the domain) to another set (called the range) assigns to each element of the domain exactly one element of the range. If f is a function and x is an element of its domain, then $f(x)$ denotes the output of f corresponding to the input x . The graph of f is the graph of the equation $y = f(x)$.

F.IF.2 Use function notation, evaluate functions for inputs in their domains, and interpret statements that use function notation in terms of a context.

F.BF.2* Write arithmetic and geometric sequences both recursively ~~and with an explicit formula~~, use them to model situations, and translate between the two forms. *(Modeling Standard)

- F.IF.3 Recognize that sequences are functions, sometimes defined recursively, whose domain is a subset of the integers. For example, the Fibonacci sequence is defined recursively by $f(0) = f(1) = 1$, $f(n+1) = f(n) + f(n-1)$ for $n \geq 1$.
- F.LE.1* Distinguish between situations that can be modeled with linear functions and with exponential functions. *(Modeling Standard)
- Prove that linear functions grow by equal differences over equal intervals, and that exponential functions grow by equal factors over equal intervals.
 - Recognize situations in which one quantity changes at a constant rate per unit interval relative to another.
 - Recognize situations in which a quantity grows or decays by a constant percent rate per unit interval relative to another
- F.LE.5* Interpret the parameters in a linear or exponential function in terms of a context. *(Modeling Standard)

Unit 2: Linear and Exponential Functions

B. Linear & Exponential Functions

CCSS	4 – Mastery	3 – Proficient	2 - Basic	1 – Below Basic	0 – No Evidence
Construct linear and exponential functions (F.BF.1, F.LE.2)	Can extend thinking beyond the standard, including tasks that may involve one of the following: <ul style="list-style-type: none"> • Designing • Connecting • Synthesizing • Applying • Justifying • Critiquing • Analyzing • Creating • Proving 	Distinguish between linear and exponential functions from arithmetic and geometric sequences, tables, graphs, and real world situations Write the recursive function and the function rule for linear and exponential functions to model real world situations.	Distinguish between linear and exponential functions from arithmetic and geometric sequences, tables, and graphs. Write the recursive function and the function rule for linear and exponential functions from arithmetic and geometric sequences and tables.	Distinguish between linear and exponential functions from arithmetic and geometric sequences, tables, and graphs. Identify the common difference/common ratio for linear and exponential functions from arithmetic and geometric sequences and from tables.	Little evidence of reasoning or application to solve the problem Does not meet the criteria in a level 1
Calculate and interpret rate of change (F.IF.6, F.LE.3)		Calculate the average rate of change over a given interval and explain the meaning in context for linear and exponential functions presented symbolically, in a table, and in a graph Describe that an increasing exponential function will eventually exceed a linear function	Calculate the average rate of change over a given interval and explain the meaning in context for linear and exponential functions presented symbolically, in a table, or in a graph	Calculate the average rate of change over a given interval for linear and exponential functions presented symbolically, in a table, or in a graph	
Identify and compare key features (F.IF.9)		Identify and compare key features of two functions represented in all of the following ways <ul style="list-style-type: none"> • algebraically • graphically • tables • in context 	Identify and compare key features of two functions represented in three of the following ways <ul style="list-style-type: none"> • algebraically • graphically • tables • in context 	Identify and compare key features of two functions represented in two of the following ways <ul style="list-style-type: none"> • algebraically • graphically • tables • in context 	

F.BF.1 Write a function that describes a relationship between two quantities.

~~a. Determine an explicit expression,~~ a recursive process or steps for calculation from a context.

F.LE.2* Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (include reading these from a table). *(Modeling Standard)

F.LE.3* Observe using graphs and tables that a quantity increasing exponentially eventually exceeds a quantity increasing linearly, quadratically, or (more generally) as a polynomial function. *(Modeling Standard)

F.IF.6* Calculate and interpret the average rate of change of a linear, exponential, or quadratic function (presented symbolically or as a table) over a specified interval. Estimate the rate of change from a graph of a function over a specified interval. *

F.IF.9* Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables or by verbal descriptions). For example, given a graph of one quadratic function and an algebraic expression for another, say which has the larger maximum.