## Similarity

### 5.1 Use dilations to show figures similar

|  | 4 - Mastery | 3 - Proficient | 2 - Basic | 1 - Below Basic | O-No Evidence |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Properties of Dilations (G.SRT.1) <br> Explain similarity (G.SRT.2) | Can extend thinking beyond the standard, including tasks that may involve one of the following: <br> - Designing <br> - Connecting <br> - Synthesizing <br> - Applying <br> - Justifying <br> - Critiquing <br> - Analyzing <br> - Creating <br> - Proving | Verify that when a side passes through the center of dilation, the side and its image lie on the same line. <br> Verify that corresponding sides of the pre-image and images are parallel and proportional after dilation. <br> Explain using <br> transformations if two figures are similar by verifying <br> - corresponding angles are congruent <br> - corresponding sides are proportional | Given an image and the pre-image, determine the center of dilation <br> Verify that corresponding sides of the pre-image and images are proportional by finding the scale factor. <br> Explain if two figures are similar by verifying <br> - corresponding angles are congruent <br> - corresponding sides are proportional | Perform dilation with a given center and scale factor on a figure in the coordinate plane. <br> Show mathematically if two figures are similar by verifying <br> - corresponding angles are congruent <br> - corresponding sides are proportional | Little evidence of reasoning or application to solve the problem <br> Does not meet the criteria in a level 1 |

G.SRT. 1 Verify experimentally the properties of dilations given by a center and a scale factor:
a. dilation takes a line not passing through the center of the dilation to a parallel line, and leaves a line passing through the center unchanged.
b. the dilation of a line segment is longer or shorter in the ratio given by the scale factor.
G.SRT. 2 Given two figures, use the definition of similarity in terms of similarity transformations to decide if they are similar; explain using similarity transformations the meaning of similarity for triangles as the equality of all corresponding pairs of angles and the proportionality of all corresponding pairs of sides.

## Similarity

### 5.2 Explain and prove similarity theorems

|  | 4 - Mastery | 3 - Proficient | 2 - Basic | 1 - Below Basic | $0 \text { - No }$ <br> Evidence |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Prove similar triangles (G.SRT.3) | Can extend thinking beyond the standard, including tasks that may involve one of the following: <br> - Designing <br> - Connecting <br> - Synthesizing <br> - Applying <br> - Justifying <br> - Critiquing <br> - Analyzing <br> - Creating <br> - Proving | - Use $A^{\sim}$ to formally prove triangles similar (two-column, paragraph, etc). | - Prove $A A^{\sim}$ using transformations. | Identify if triangles are similar by: <br> - $\mathrm{AA}^{\sim}$ <br> - SAS $^{\sim}$ <br> - SSS~ | Little evidence of reasoning or application to solve the problem |
| Solve and prove relationships (G.SRT.5, G.MG.3) |  | Solve and prove real <br> world geometric <br> problems using congruence and similarity | Solve real world <br> geometric problems using congruence and similarity | Solve mathematical <br> geometric problems using congruence and similarity | Does not meet the criteria in a level 1 |
| Prove triangle theorems (G.SRT.4, G.CO.10) |  | Prove all of the following theorems: <br> - a line parallel to one side of a triangle divides the other two proportionally <br> - if a line divides two sides of a triangle proportionally; then it is parallel to the third side. <br> - Pythagorean Theorem proved using triangle similarity | Prove 2 of the following theorems: <br> - a line parallel to one side of a triangle divides the other two proportionally <br> - if a line divides two sides of a triangle proportionally; then it is parallel to the third side. <br> - Pythagorean Theorem proved using triangle similarity | Prove1 of the following theorems: <br> - a line parallel to one side of a triangle divides the other two proportionally <br> - if a line divides two sides of a triangle proportionally; then it is parallel to the third side. <br> - Pythagorean Theorem proved using triangle similarity |  |

G.SRT. 3 Use the properties of similarity transformations to establish the AA criterion for two triangles to be similar.
G.SRT. 5 Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures.
G.SRT. 4 Prove theorems about triangles. Theorems include: a line parallel to one side of a triangle divides the other two proportionally, and conversely; the Pythagorean Theorem proved using triangle similarity.
G.CO. 10 Prove theorems about triangles. Theorems include: measures of interior angles of a triangle sum to $180^{\circ}$; base angles of isosceles triangles are congruent; the segment joining midpoints of two sides of a triangle is parallel to the third side and half the length; the medians of a triangle meet at a point.
G.MG. 3 Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy physical constraints or minimize cost; working with typographic grid systems based on ratios).

## Similarity

### 5.3 Apply similarity theorems (Extension - Honors Only)

|  | 4 - Mastery | 3 - Proficient | 2 - Basic | 1 - Below Basic | $\mathrm{O} \text { - No }$ <br> Evidence |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Solve and prove relationships (G.SRT.5) | Can extend thinking beyond the standard, including tasks that may involve one of the following: | Solve and prove geometric problems using congruence and similarity | Solve geometric problems using congruence and similarity | Solve geometric problems using congruence or similarity | Little evidence of reasoning or application to solve the problem <br> Does not meet |
| Explain similarity <br> (G.SRT.2) | - Designing <br> - Connecting <br> - Synthesizing <br> - Applying <br> - Justifying <br> - Critiquing <br> - Analyzing <br> - Creating <br> - Proving | Verify that corresponding sides of the pre-image and images are parallel and proportional after dilation. <br> Explain using transformations if two figures are similar by verifying <br> - corresponding angles are congruent <br> - corresponding sides are proportional | Verify that corresponding sides of the pre-image and images are proportional by finding the scale factor. <br> Explain if two figures are similar by verifying <br> - corresponding angles are congruent <br> - corresponding sides are proportional | Show mathematically if two figures are similar by verifying <br> - corresponding angles are congruent <br> - corresponding sides are proportional | the criteria in a level 1 |

G.SRT. 5 Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures.
G.SRT. 2 Given two figures, use the definition of similarity in terms of similarity transformations to decide if they are similar; explain using similarity transformations the meaning of similarity for triangles as the equality of all corresponding pairs of angles and the proportionality of all corresponding pairs of sides.

